MOVEP 2012 Tutorial Safety, Dependability and Performance Analysis of Extended AADL Models

Part 4: Safety and Dependability Analysis



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Contents of Overview

- Introduction
- Pault Tree Analysis
- 3 Failure Mode and Effects Analysis
- Ongoing Activities
- Tool Support

Outline

- Introduction
- 2 Fault Tree Analysis
- Failure Mode and Effects Analysis
- Ongoing Activities
- 5 Tool Support

Objectives

- Analyse system behaviour under all possible operational conditions, in particular in presence of malfunctions of its components
- Determine the conditions under which safety hazards can occur
- Ensure that a system meets the safety requirements that are required for its deployment and use

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Requirements

- Particularly important for safety-critical systems, where unexpected behavior may cause significant loss of money or human lives!
- Carried out in parallel with system design
- Typically needed for certification of safety-critical systems

Properties of interest - some examples (qualitative):

- "If no more than 3 components fail, then I never have a total loss of hydraulic power"
- "No single point of failure can cause unavailability of both the primary and secondary power systems"
- "Find all combinations of basic faults which may cause total loss of hydraulic power"

Properties of interest - some examples (qualitative):

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Properties of interest - some examples (quantitative):

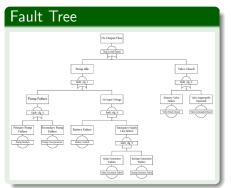
- "The probability of a total loss of hydraulic power is less than 10^{-7} "
- "The probability that both the primary and secondary power systems fail during the same mission is less than 10^{-9} "

Safety Assessment Techniques

- Several safety assessment techniques, e,g.:
 - Fault Tree Analysis (FTA)
 - Failure Mode and Effects Analysis (FMEA)

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References

Safety Critical Systems

(Storey, Addison-Wesley 1996)

System Safety

(Leveson, Addison-Wesley 1995)

• Formal Safety Assessment

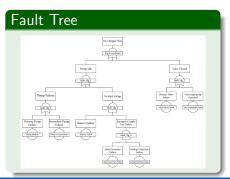
(Bozzano, Villafiorita, Taylor & Francis 2010)

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Main Features

- Deductive technique (top-down)
- Graphical representation of the effects of faults on system requirements (using Boolean gates)
- Widespread use in aerospace, avionics, and other domains
- Qualitative model that can be evaluated quantitatively

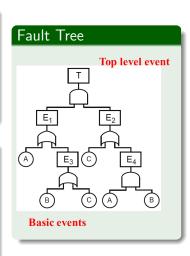


FTA requires:

- Specifying a Top Level Event (TLE) representing an undesired condition
- Find all possible chains of basic events that may cause the TLE to occur

A Fault Tree:

- Is a systematic representation of such chains of events
- Uses logical gates to represent the interrelationships between events and TLE, e.g. AND, OR

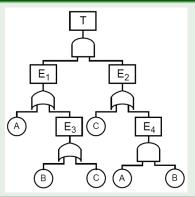


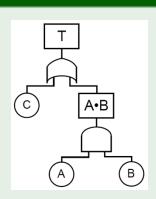
Logical formula associated to a FT

The FTs below have the same associated logical formula:

 $(A \vee (B \vee C) \wedge (C \vee (A \wedge B)) \equiv (C \vee (A \wedge B))$

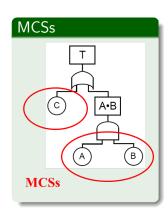
Logically Equivalent Fault Trees





Minimal Cut Sets (MCSs)

- This shape is of particular interest: representation in terms of Minimal Cut Sets (MCSs)
- Minimal cut set = "smallest set of basic events which, conjoined, cause the top level event to occur"
- Logically: Disjunctive Normal Form (DNF) = disjunction of conjunctions of basic events
- The fault tree on the right has two MCSs: C (single point of failure) and A ∧ B (cut set of order 2)



Cut Sets

Fault Configuration

 $\mathcal{M} = \langle \mathcal{S}, \mathcal{I}, \mathcal{R}, \mathcal{L} \rangle$ be a Kripke structure with a set of failure mode variables $\mathcal{F} \subseteq \mathcal{P}$. A fault configuration FC is a subset of failure mode variables, that is, $FC \subseteq \mathcal{F}$

Cut Sets

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Cut Set

Let $\mathcal{M} = \langle \mathcal{S}, \mathcal{I}, \mathcal{R}, \mathcal{L} \rangle$ be a Kripke structure with a set of failure mode variables $\mathcal{F} \subseteq \mathcal{P}$, let $FC \subseteq \mathcal{F}$ be a fault configuration, and $TLE \in \mathcal{P}$. We say that FC is a cut set of TLE, written cs(FC, TLE) if there exists a trace s_0, s_1, \ldots, s_k for \mathcal{M} such that:

- $s_k \models TLE$
- $\forall f \in \mathcal{F} \ f \in FC \iff \exists i \in \{0, \dots, k\} \ (s_i \models f)$

Minimal Cut Sets

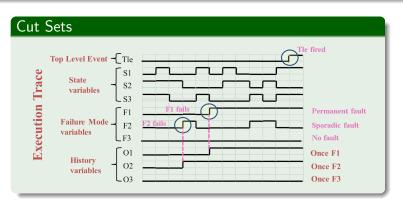
Minimal Cut Sets

Let $\mathcal{M} = \langle \mathcal{S}, \mathcal{I}, \mathcal{R}, \mathcal{L} \rangle$ be a Kripke structure with a set of failure mode variables $\mathcal{F} \subseteq \mathcal{P}$, let $F = 2^{\mathcal{F}}$ be the set of all fault configurations, and $TLE \in \mathcal{P}$.

The set of minimal cut sets of *TLE* is the set of cut sets of *TLE* that are minimal wrt set inclusion. Formally:

- $CS(TLE) = \{FC \in F \mid cs(FC, TLE)\}$
- $MCS(TLE) = \{cs \in CS(TLE) \mid \forall cs' \in CS(TLE) \ (cs' \subseteq cs \rightarrow cs' = cs)\}$

Cut Sets



- History variables remember past failure events
- O_i is true if and only if F_i is true at some point in the past:

$$\mathcal{R}^{\circ} = \begin{cases} O_i
ightarrow next(O_i) \\ \neg O_i
ightarrow (next(O_i) \leftrightarrow next(F_i)) \end{cases}$$

• $F_1 \wedge F_2$ is a cut set

Algorithms for FTA

Symbolic Algorithms for FTA

Several algoritmhs:

- BDD-based algorithms
 - Forward algorithm
 - Backward algorithm
- SAT-based algorithms

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Algorithms Optimizations

- Dynamic Pruning
- Backward algorithm with DCOI (Dynamic Cone of Influence)

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Algorithms Optimizations

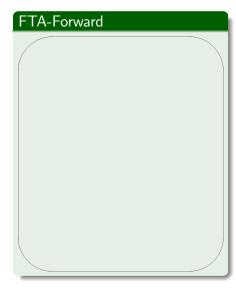
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An Example

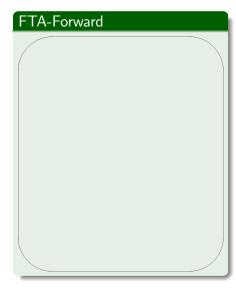
BDD-based forward algorithm

function FTA-Forward (M, Tle)

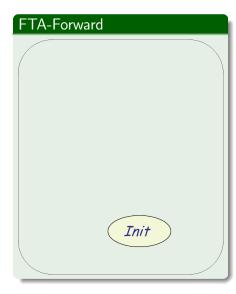
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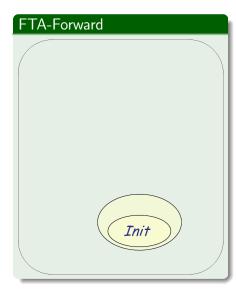
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function FTA-Forward (\mathcal{M}, T/e)
          \mathcal{M} := \mathsf{Extend}(\mathcal{M}, \mathcal{R}^o);
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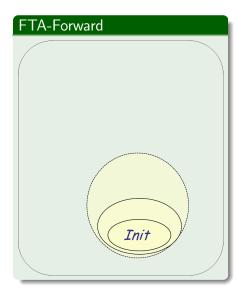
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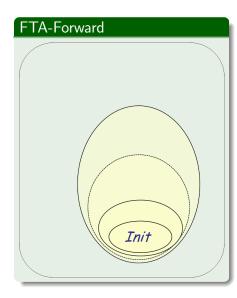
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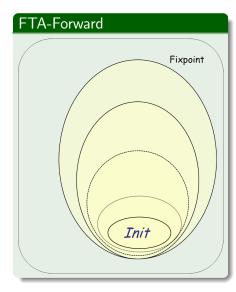
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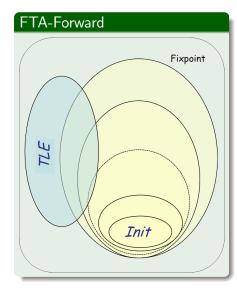
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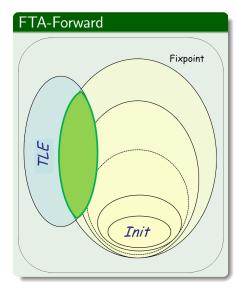
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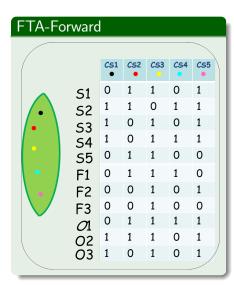
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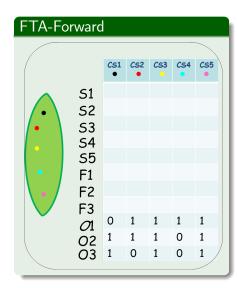
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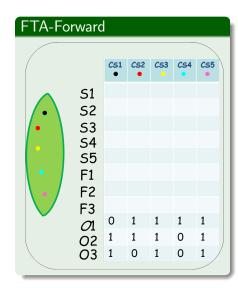
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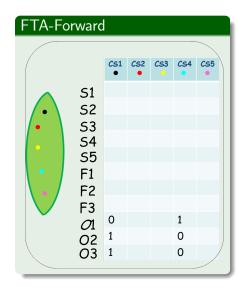
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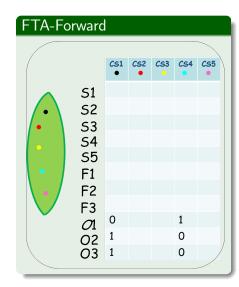
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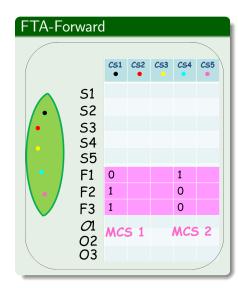


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FTA: BDD-based Forward Algorithm

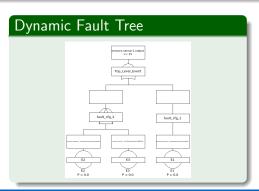
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Fault Tree Analysis (FTA)

Dynamic FTs

- Dynamic FTs extend FTs by considering dynamic aspects, such as: ordering constraints, functional dependencies, spares
- Dynamic FTs in COMPASS:
 - Ordering constraints between basic events can be analyzed
 - Priority AND gate (PAND) to display order



References

- FTA (Fault Tree Handbook, U.S. Nuclear Regulatory Commission, 1981)
- FTA (Fault Tree Handbook, NASA 2002)
- Formal FTA (Bozzano, Villafiorita, Taylor & Francis 2010)
- Algorithms for FTA (Bozzano et. al, ATVA 2007)

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Failure Mode and Effects Analysis (FMEA)

Main Features

- Inductive technique (bottom-up)
- Tabled representation of the effects of faults on a set of system properties
- Widespread use in aerospace, avionics, and other domains

FMEA Table

| Ref. No. | Item | Failure Mode | Failure Cause | Local Effects | System Effects | Detection Means | Severity | Corrective Actions |
|-------------|-------|------------------|-----------------------------|-------------------------------------|-------------------------------------|-------------------------|----------|--------------------------------------|
| 1 | Pump | Fails to operate | Comp. broken No input flow | Coolant temperature increases | Reactor temperature increases | Temperature alarm | Major | Start secondary pump Switch to |
| 2 | Valve | Stuck closed | Comp. broken | Excess liquid | Reactor pressure increases | Coolant level sensor | Critical | Open release valve |
| 3 | | Stuck open | | Insufficient liquid | Reactor temperature increases | Coolant level sensor | Critical | Open tank valve |

Failure Mode and Effects Analysis (FMEA)

FMEA Table

Let $\mathcal{M} = \langle \mathcal{S}, \mathcal{I}, \mathcal{R}, \mathcal{L} \rangle$ be a Kripke structure with a set of failure mode variables $\mathcal{F} \subseteq \mathcal{P}$, let $FC_j \subseteq \mathcal{F}$ for $j = 1, \ldots, n$ be a set of fault configurations, and $E_l \in \mathcal{P}$ for $l = 1, \ldots, m$. An FMEA table for \mathcal{M} is the set of pairs $\{(FC_i, E_l) \mid cs(FC_i, E_l)\}$.

Failure Mode and Effects Analysis (FMEA)

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Cardinality of FMEA Tables

 FMEA table of cardinality k includes fault configurations of cardinality up to k

FMEA tables may be "redundant"

Compaction of FMEA tables improves readability

• Idea: remove entries with cardinality k that are "subsumed" by other entries of cardinality less than k

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An Example

- Set of faults: $\{F_1, F_2, F_3, F_4, F_5\}$
- Set of events: {*E*}

FMEA tables may be "redundant"

Compaction of FMEA tables improves readability

 Idea: remove entries with cardinality k that are "subsumed" by other entries of cardinality less than k

An Example

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- Set of events: {*E*}

An Example (ctd)

FMEA Table of Cardinality 2:

- Fault Configurations of order 1: $\{F_i\}$ for all i = 1, ..., 5
- Fault Configurations of order 2: $\{F_i, F_j\}$ for all i, j = 1, ..., 5 with $(i \neq j)$

An Example (ctd)

Suppose that:

• $(\{F_1\}, E)$, $(\{F_2\}, E)$, $(\{F_3\}, E)$ are in FMEA table T

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Typically *T* contains also:

- $({F_1, F_i}, E)$ for i = 2, 3, 4, 5
- $({F_2, F_i}, E)$ for i = 3, 4, 5
- $(\{F_3, F_i\}, E)$ for i = 4, 5

An Example (ctd)

Suppose that:

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An Example (ctd)

Also suppose that:

• $(\{F_4, F_5\}, E)$ is in T

An Example (ctd)

Complete FMEA Table:

- $(\{F_1\}, E)$, $(\{F_2\}, E)$, $(\{F_3\}, E)$
- $(\{F_1, F_2\}, E)$, $(\{F_1, F_3\}, E)$, $(\{F_1, F_4\}, E)$, $(\{F_1, F_5\}, E)$, $(\{F_2, F_3\}, E)$, $(\{F_2, F_4\}, E)$, $(\{F_2, F_5\}, E)$, $(\{F_3, F_4\}, E)$, $(\{F_3, F_5\}, E)$, $(\{F_4, F_5\}, E)$

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An Example (ctd)

We want to preserve only:

- those pairs such that single faults have an effect on event E: $(\{F_1, F_2\}, E), (\{F_1, F_3\}, E), (\{F_2, F_3\}, E)$
 - Intuition: e.g. $(\{F_1, F_4\}, E)$ is redundant, because F_4 has no effect on E (E is explained by F_1 alone)
- "genuine" pairs (no subset of faults in T): $(\{F_4, F_5\}, E)$

An Example (ctd)

Compact FMEA Table:

- $(\{F_1\}, E), (\{F_2\}, E), (\{F_3\}, E)$
- $(\{F_1, F_2\}, E), (\{F_1, F_3\}, E), (\{F_2, F_3\}, E)$
- $({F_4, F_5}, E)$

An Example (ctd)

Compact FMEA Table:

- $(\{F_1\}, E)$, $(\{F_2\}, E)$, $(\{F_3\}, E)$
- $(\{F_1, F_2\}, E), (\{F_1, F_3\}, E), (\{F_2, F_3\}, E)$
- $({F_4, F_5}, E)$

An Example (ctd)

• 6 entries out of 13 have been removed

An Example (ctd)

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An Example (ctd)

• 6 entries out of 13 have been removed

An Example (ctd)

- This idea can be generalized to FMEA tables of arbitrary cardinality and arbitrary number of events:
 - Definition is by induction on the cardinality of the table
 - Compact FMEA tables are defined independently for each event Ei

References

- FMEA (Fault Tree Handbook, U.S. Nuclear Regulatory Commission, 1981)
- FMEA (Fault Tree Handbook with Aerospace Applications, NASA 2002)
- Formal FMEA (Bozzano, Villafiorita, Taylor & Francis 2010)

Outline

- Introduction
- 2 Fault Tree Analysis
- 3 Failure Mode and Effects Analysis
- Ongoing Activities
- 5 Tool Support

Ongoing Activities

Compositional FTA

- Build system-level FT from FTs of sub-components
- Reduce workload in FT generation
- Fits into contract-based system development and verification

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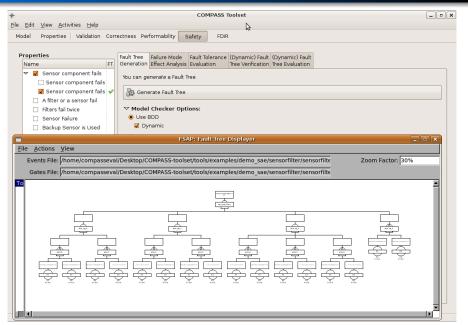
Hierarchical FTs

- Generate multi-level FTs
- Improve readability and avoid MCSs enumeration
- FT structure based upon system structure
- Can be integrated with compositional generation of FTs

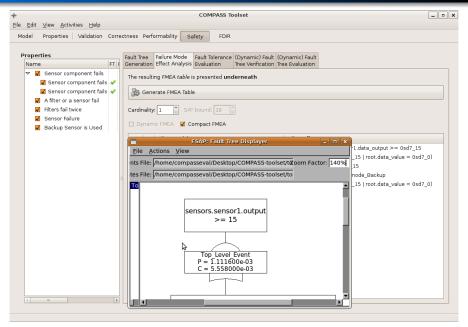
Outline

- Introduction
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Fault Tree Analysis



Probabilistic Risk Assessment Tree Analysis



Failure Modes and Effects Analysis

